# Halo Current and Resistive Wall Simulations of ITER

H.R. Strauss<sup>1</sup>, Linjin Zheng<sup>2</sup>, M. Kotschenreuther<sup>2</sup>, W.Park<sup>3</sup>, S. Jardin<sup>3</sup>, J. Breslau<sup>3</sup>,
A.Pletzer<sup>3</sup>, R. Paccagnella<sup>4</sup>, L. Sugiyama<sup>5</sup>, M. Chu<sup>6</sup>, M. Chance<sup>6</sup>, A. Turnbull<sup>6</sup>
1)New York University, New York, New York, USA
2)Institute for Fusion Studies, University of Texas, Austin, Texas 78712, USA
3)Princeton University Plasma Physics Laboratory, Princeton, New Jersey,USA
4)Instituto Gas Ionizzati del C.N.R., Padua, Italy
5)MIT, Cambridge, MA,USA
6)General Atomics, P.O. Box 85608, San Diego, CA 92186, USA

### Outline

- Resistive boundary in simulational problems
- Halo current M3D : nonlinear, resistive MHD
  - VDE
  - **Disruption**
  - RWM (resistive wall mode)
- **RWM AEGIS :** linear ideal MHD, resistive wall
  - Stabilization by rotation, Alfven resonance
  - Thick wall effect

# **Halo Current**

- Halo current:
  - current flowing on open field lines into wall
- Causes stress on walls
  - Toroidal asymmetry: TPF (toroidal peaking factor)
  - Halo current fraction
  - Want to confirm ITER database with simulation
- Occurs during:
  - VDE (vertical displacement event)
  - Major disruption
  - External kink / (RWM) Resistive wall mode

### plasma – halo – vacuum model

- Plasma regions
- Core
- separatrix
- halo
- 1st wall
- Outer wall
- Outer vacuum



max 0.19E+00

pv

- Resistive MHD with self consistent resistivity
  - proportional to temperature to -3/2 power

#### Parallel thermal conduction

- Separatrix thermally isolates hot core from cold halo
- In 3D disruptions, stochastic magnetic field quenches core temperature, raising resistivity and quenching current
- Outer vacuum
  - Green's function method (GRIN)
  - Thin wall approximation
  - Continuity of normal magnetic field component
  - Calculate jump of tangential components, electric field

# **VDE** Instability

- 2D instability
- Growth rate proportional to wall resistivity
- Halo current flows when core near wall



#### **Poloidal flux function**

### Toroidal peaking factor and halo current fraction

Normal component of poloidal Current flowing out through the boundary as function of toroidal angle

**Toroidal peaking factor** 

idal  
gh the  
roidal  

$$I_{h}(\phi) = \pi \oint |n \cdot J| R dl$$

$$\approx \pi \oint \left| \frac{\partial R B_{\phi}}{\partial l} \right| dl$$

$$TPF = \frac{I_{h}(\phi)_{\max}}{< I_{h} >}$$

$$F_{h} = \frac{< I_{h} >}{I_{\phi}}$$

$$TPF \times F_{h} = \frac{I_{h}(\phi)_{\max}}{I_{\phi}}$$

Halo current fraction of Toroidal current

**Inverse relation of TPF to Halo current fraction** 

# **3D disruptions**

- TPF: Toroidal Peaking Factor toroidal asymmetry of ITER halo currents
- Halo Current Fraction measure of halo current
- Disruption can combine with VDE increasing its growth rate
- Case of internal kink with large q=1 radius
- Halo current flows along contours of RB<sub>t</sub> intersecting the wall



### toroidal peaking factor and halo current fraction

 $TPF = 2, F_h = 0.35$ 



Temperature and current vs. time

**TPF and F<sub>h</sub> vs. time** 

#### Nonlinear RW – external kink



#### Results are consistent with ITER database



 $\mathbf{F}_{\mathbf{h}}$ 

### **Scaling of RWRP mode**

#### Simulation of RWM is complicated by plasma resistivity Finn, 1995, Betti 1998



**RWM** interacts with tearing/electromagnetic resistive ballooning mode



# New MHD code: AEGIS

#### Adaptive EiGenfunction Independent Solution

### Features

- Radial Adaptive mesh to resolve Alfven resonances
- Small matrix size formulation:
  - AEGIS: M, GATO or PEST: M x N (sparse)
  - M: no. of poloidal components, N: radial grids
- Applicable both for low and high n modes
- Benchmark with GATO: good agreement in beta limit, growth rate, critical wall position, and mode shape

### **Benchmark with GATO**

Good agreement in all aspects:

beta limit, growth rate, critical wall position, and mode shape...

• AEGIS

• GATO



## **Rotation effect on RWMs**

### • Previous results:

Rotation stabilization results from sound wave resonance or generally particle wave resonance

### • Current results:

Shear Alfven continuum damping can effectively stabilize RWMs.

--- this fine singular layer effect can be resolved by AEGIS due to its adaptive feature.

### **Parameters:** q(0) = 1.05, q(95) = 3 volume average beta= 0.062, beta\_n = 3.88. no wall limit beta\_n = 3.4



Resonances are singular in limit of zero growth rate

#### Low Mach number rotation stabilization

#### for ITER configuration

# Marginal wall position vs. rotation frequency

RWM growth rate vs. wall position for different rotation frequencies



# Stability window in wall position for nonzero rotation

Growth rate drops sharply at stability boundary

### Wall thickness effect on RWMs

- Motivation: ITER wall is 0.45 thick.
- Method:

Adaptive shooting of the Euler-Lagrange equation in the wall region.

• Results:

The part of the wall located beyond the ideal-wall critical position gives no contribution for stability.

Thick wall slows growth.

Effects of rotation and thick wall to be studied later.

### Effect of wall thickness on growth rate

•

- Dashed curve represents the thin-wall-theory estimate and b is the wall position
- Growth rate vs wall position with

different wall thickness



Thick wall has no effect outside the critical wall position

For less than critical wall position, thickness slows mode

# Summary

- Halo current calculated in nonlinear M3D simulations
- Model simulates VDE, disruption, thermal & current quench
- TPF and F<sub>h</sub> consistent with ITER database
- Resistive plasma modifies RWM scaling
- AEGIS RWM simulations of rotation stabilization with self consistent Alfven damping, no model parameters
- Thick wall slows RWM growth rate, but has no effect outside critical wall position

# **★IFS** Phase change across to the resonance

#### **Integration orbit:** $\Omega = \Omega_{rot} + i \omega + \gamma$



- Singular layer equation  $d/dx (x^2-\Omega^2) d\xi/dx = 0$
- Solution:

$$\xi = (b/2\Omega) \ln (x-\Omega)/(x+\Omega) + a$$

At 
$$-\infty$$
:  
 $\xi = a - b/x$   
At  $+\infty$ :  
 $\xi = a - b/x + i b \pi /\Omega$