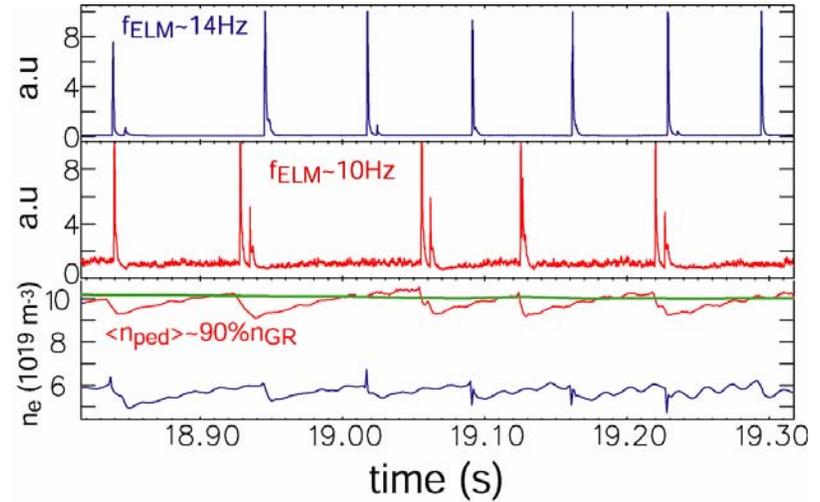
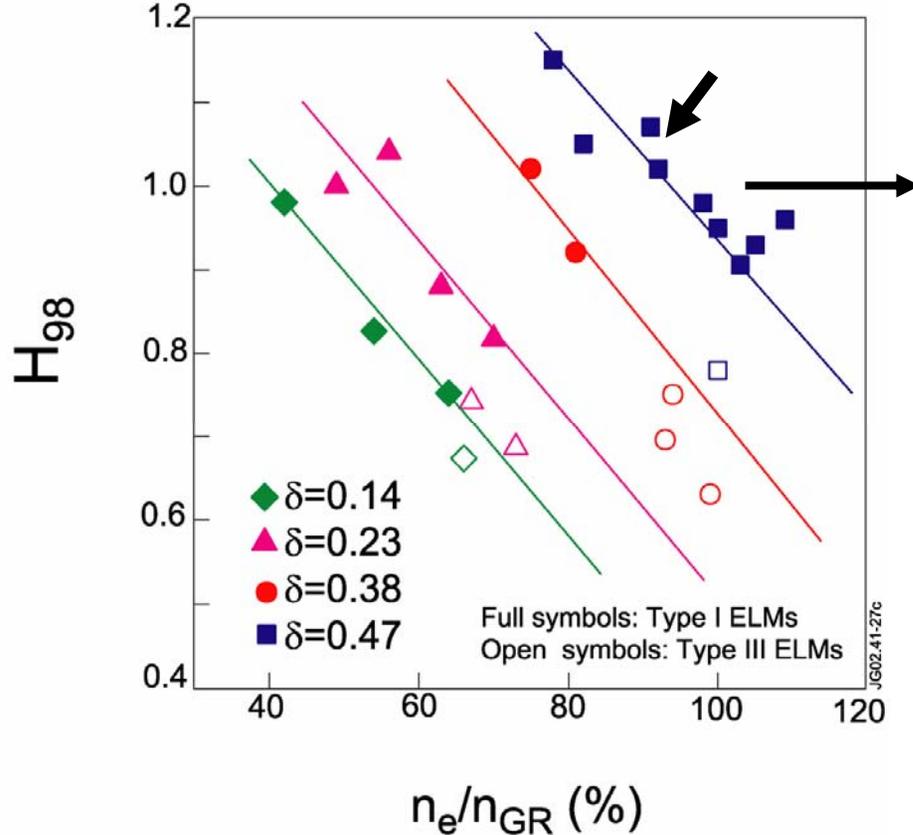


Scaling Studies of ELMy H-modes global and pedestal confinement at high triangularity in JET

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(1) EFDA CSU - Garching, Germany **(2)** Euratom/UKAEA Association, UK, **(3)** Association Euratom-CEA, Cadarache, France, **(4)** Association Euratom-CRPP-EPFL, Switzerland, **(5)** Associação EURATOM/IST, Portugal, **(6)** Consorzio RFX Associazione ENEA-Euratom per la Fusione, Italy **(7)** Queen's University, Belfast, UK **(8)** FOM-Rijnhuizen, Association Euratom-FOM Association, Germany **(9)** Forschungszentrum Jülich, EURATOM Association, Germany **(10)** Asociacion Euratom-CIEMAT para Fusion, Spain **(11)** EFDA Close Support Unit – Culham, Culham, UK **(12)** Association Euratom-IPP, Germany



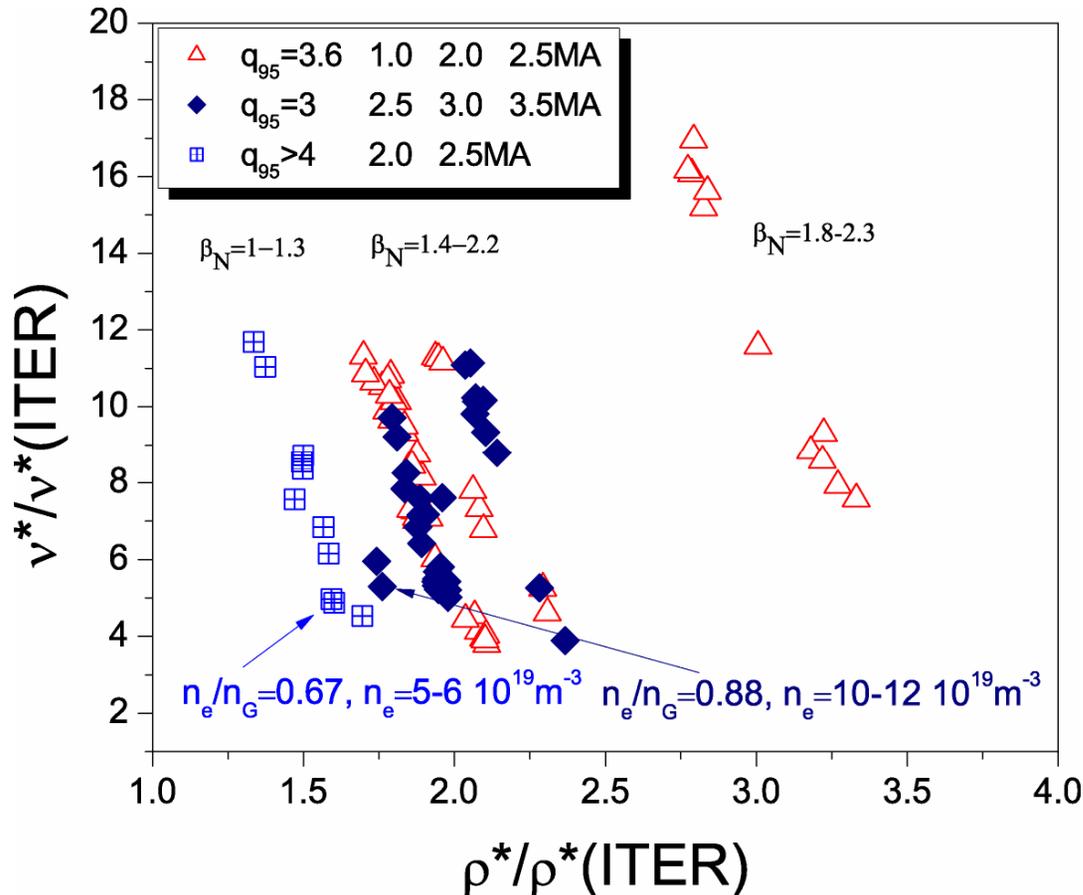
Higher $\delta \Rightarrow$ higher H factor is obtained for a given density

JET $\Rightarrow \delta \simeq 0.47 \Rightarrow H_{98} = 1, n_e/n_G = 0.85$ at $q_{95} = 3$

Mixed Type I/II ELMs \Rightarrow reduced power lost by ELMs (50 \downarrow 20%)

enhanced inter ELM transport J Stober EXP P1-4

- Extend operation at high δ ($\delta > 0.4$) to wider range of parameters
(in particular to lower ρ^*)
- Explore the operational space of mixed type I/II ELMs



$\delta \simeq 0.42$, I_p 1 to 3.5MA,

q_{95} from 3 to 5

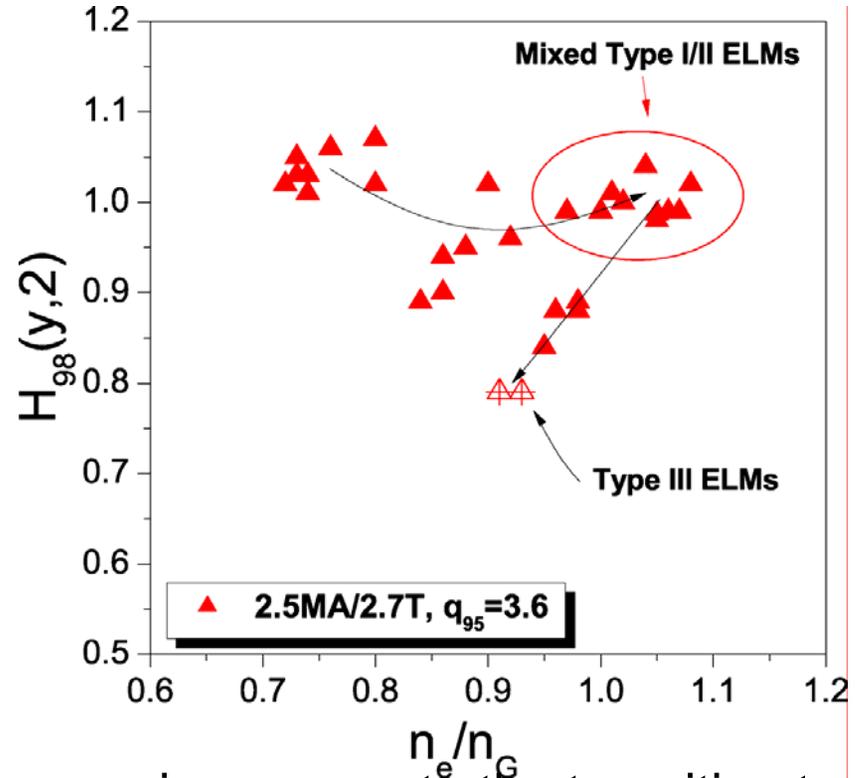
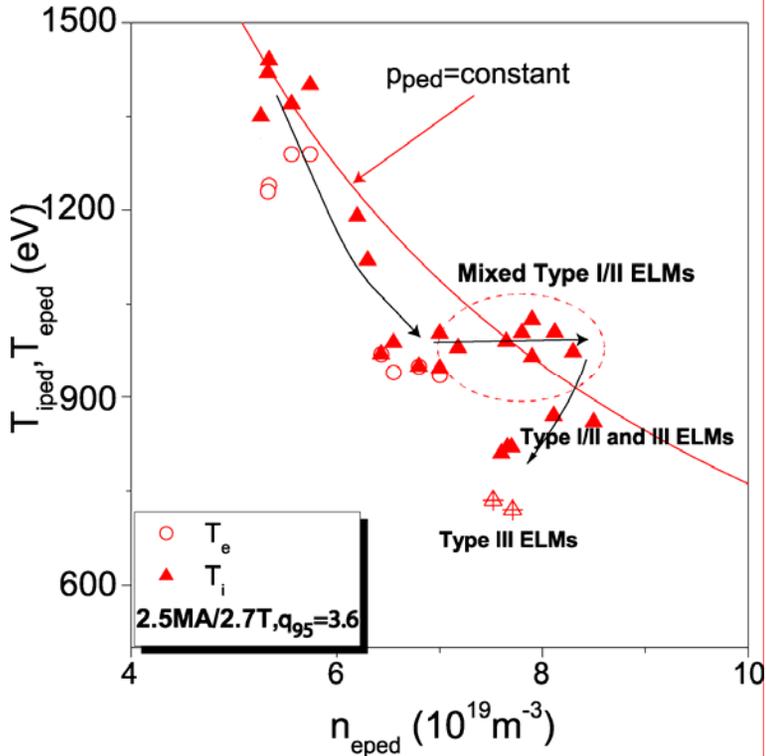
For $n_e/n_G \geq 0.8$ closest match to ITER ρ^* and v^* at 3.5MA/3.2T:

$\rho^* \simeq 1.7 \rho^* \text{ITER}$, $v^* \simeq 5.3 v^* \text{ITER}$ at

$n_e \simeq 11 \times 10^{19} \text{ m}^{-3}$,

$P_{NB} \simeq 22 \text{ MW}$ ($P_{IN} \propto I_p B_t$)

- 1- Mixed Type I/II ELMs: pedestal pressure and global confinement
- 2- Relation between pedestal and global confinement
- 3- I_p scan at $q_{95}=3$ up to 3.5MA
- 4- Effect of q_{95} on pedestal and global confinement
- 5- ELM size
- 6- Summary



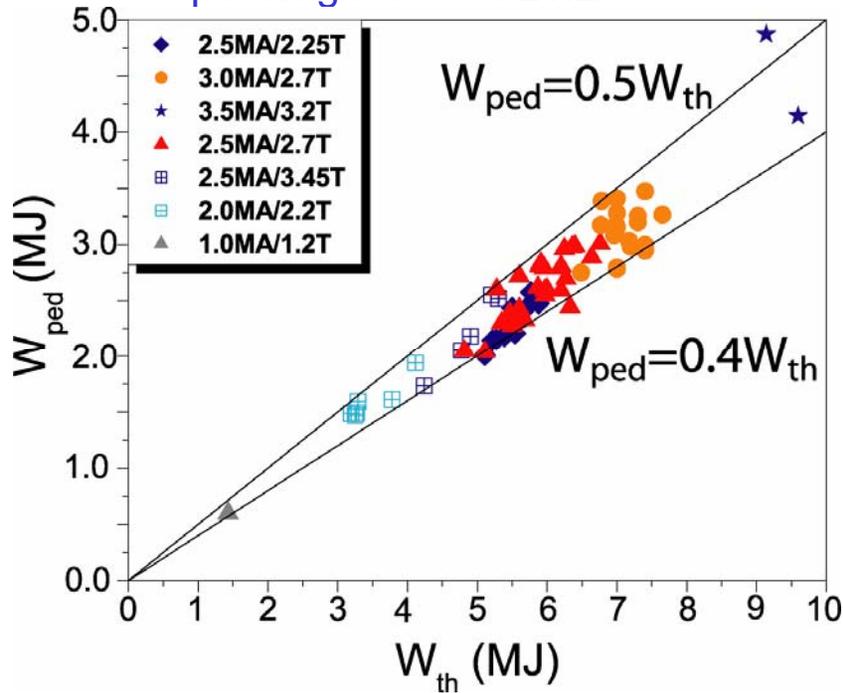
Type I ELMs $\Rightarrow p_{ped}$ decreases with increasing n_{ped} up to the transition to Type III ELMs

Mixed Type I/II ELMs $\Rightarrow p_{ped}$ increases: n_e increases at constant $T_{iped} \Rightarrow$ good global confinement at high density observed

Type I/II ELMs in the whole range of I_p and q_{95} explored with one exception \Rightarrow later

Relation between pedestal and global confinement

Similar core profiles, with density peaking factor of ≈ 1.2



Pedestal / thermal stored energy

$$W_{ped}/W_{th}$$



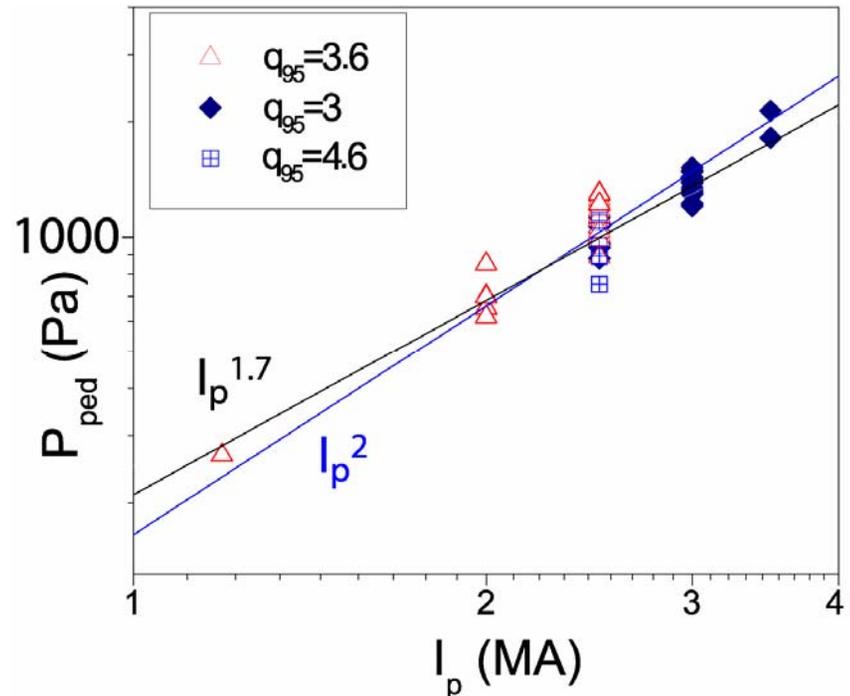
- independent of I_p , q_{95} and density

- good confinement with Type I/II ELMs due to high p_{ped}

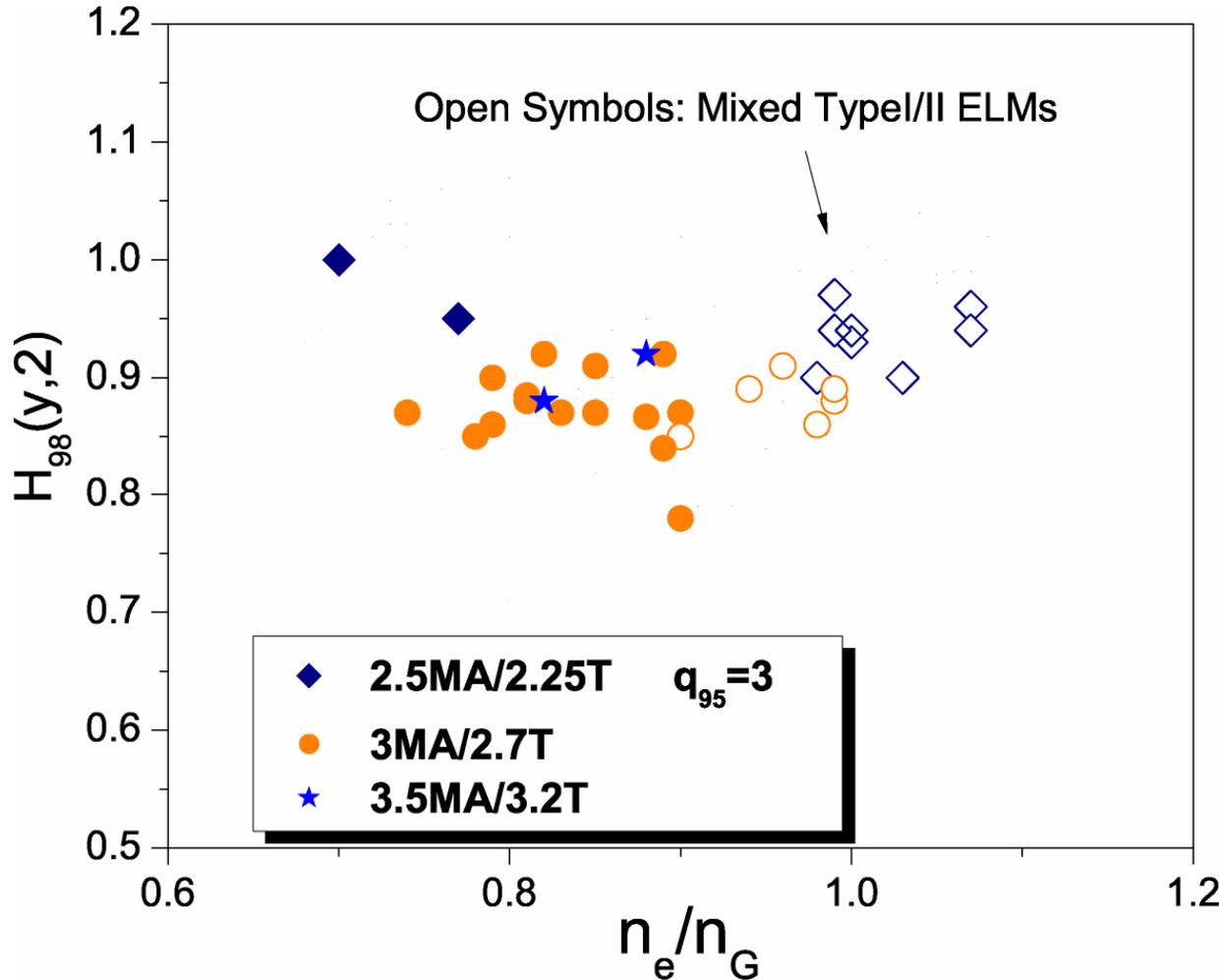
- Trend with β_N : $\langle W_{ped}/W_{th} \rangle \approx 0.48$ at $\beta_N=1.4$, $\langle W_{ped}/W_{th} \rangle \approx 0.42$ at $\beta_N=2.0$.

Pedestal pressure p_{ped} (and W_{th}) increases as $I_p^{1.7-2}$ as predicted by ideal ballooning stability for constant Δ_{ped}

(global result- n_e and loss power correlated with I_p)



Variation of $H_{98}(y,2)$ with I_p is $\leq 5\%$ \Rightarrow data well described by the scaling



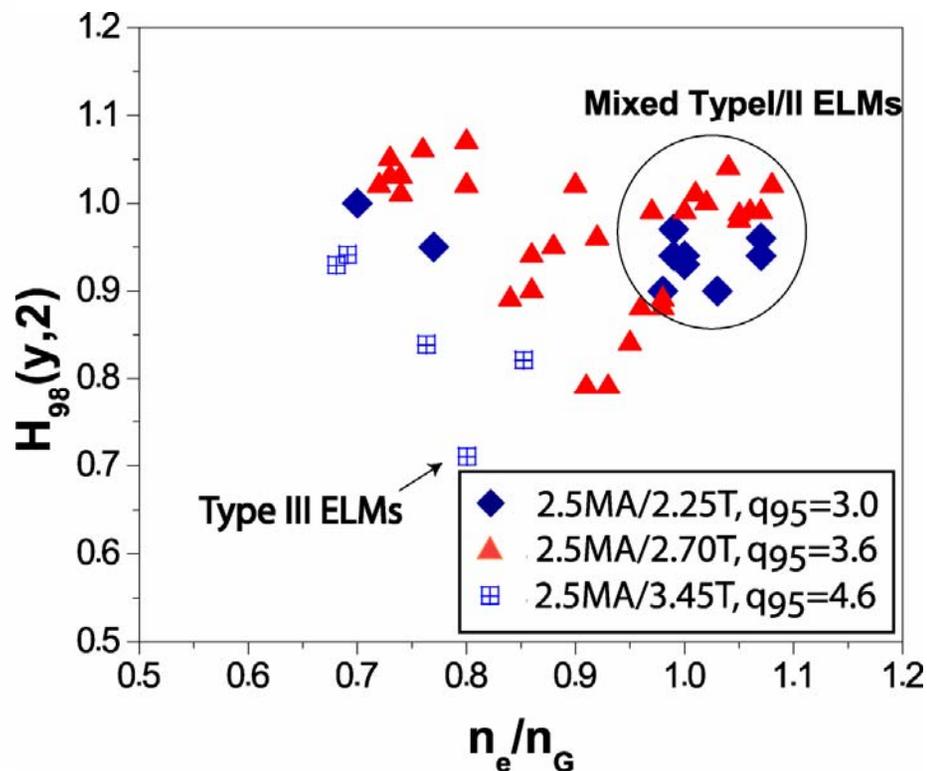
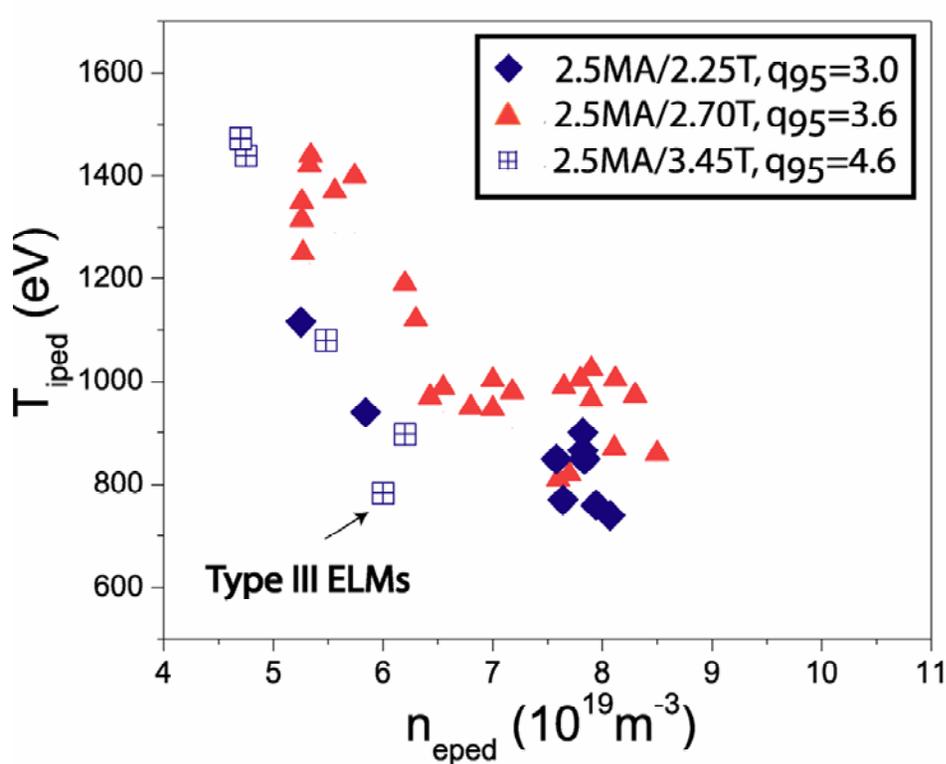
- $n_e/n_G \cong 0.75-0.8 \Rightarrow$ 3MA H-modes affected by (4,3) NTM \Rightarrow up to 10% reduction in H [1].

- At 2.5MA $\langle \beta_N \rangle = 1.95$, while $\langle \beta_N \rangle = 1.75$ at 3MA and 3.5 MA

- Lower normalised density at 3MA \Rightarrow higher density not explored

[1] R Buttery EX/7-1

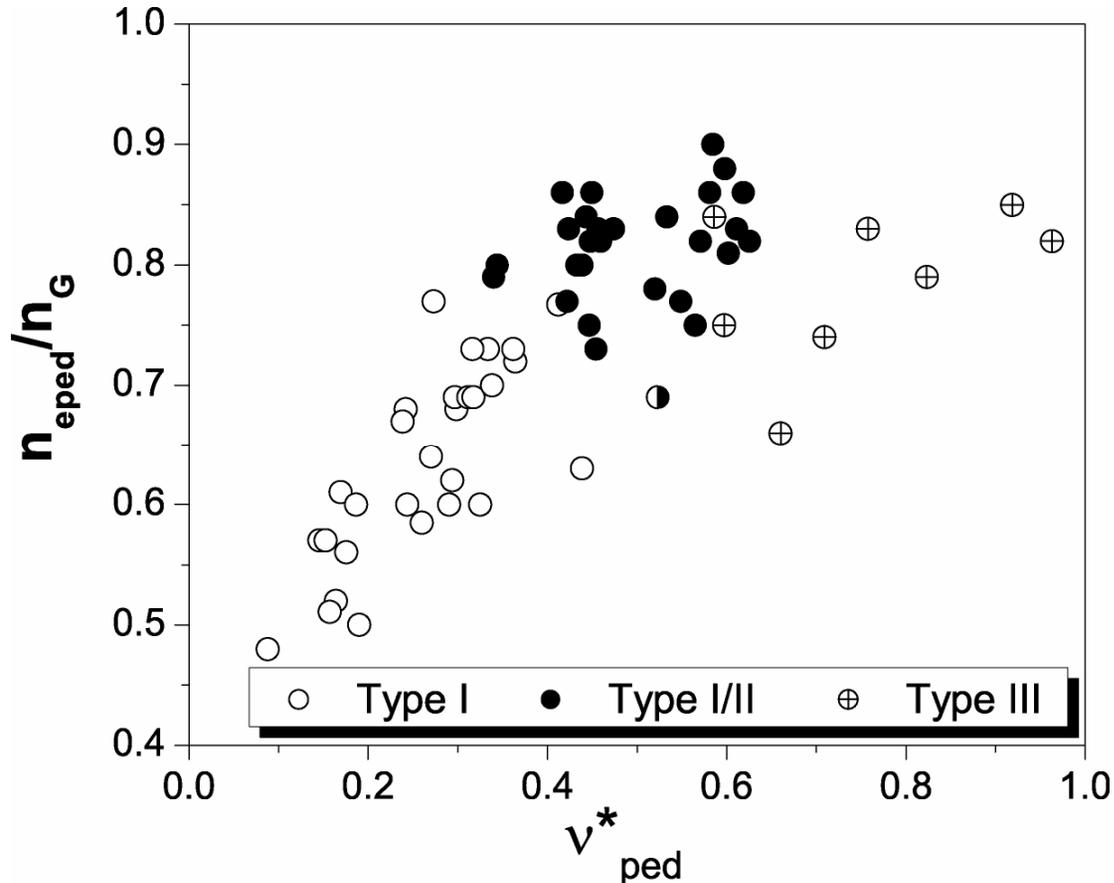
Effect of q_{95} on pedestal and global confinement



At $q_{95}=3.6$ p_{ped} higher than at $q_{95}=3.0$ (same I_p) \Rightarrow higher T_{ped} for the same n_{ped}
 $H_{98} \cong 10\%$ higher at the higher q_{95}

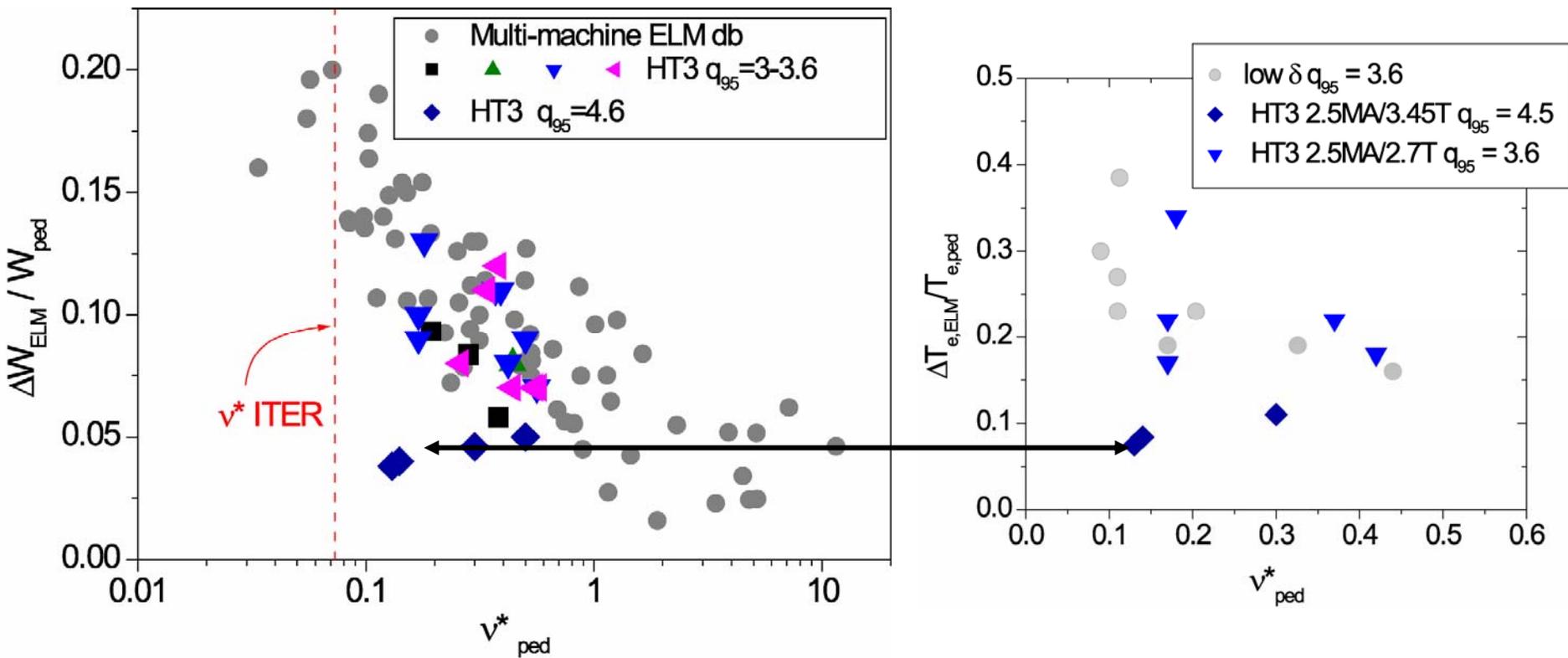
At $q_{95}=4.6 \Rightarrow$ transition to Type III ELMs at lower density.

No or marginal access to mixed Type I/II ELMs. $n_e/n_G=0.85$ with $H_{98}=0.82$



Mixed Type I/II ELMs \Rightarrow good confinement at high density

Type I/II ELMs at high density $\Rightarrow n_e/n_G$ or v^* ? \Rightarrow answer requires higher P_{IN} and I_p to better decouple dependencies ($v^* \propto q_{95}/I_p^\alpha$, $\alpha=0.4 - 1$)



Type I ELMs in mixed Type I/II regime $\Rightarrow \Delta W_{ELM} / W_{ped} = 0.07 \Rightarrow \Delta W_{ELM} \approx 8.5 \text{ MJ}$
 $\Delta W_{ELM} \text{ Div} < 5 \text{ MJ}$

If v^* determines $\Delta W_{ELM} / W_{ped} \Rightarrow$ ELMs not acceptable

At $q_{95}=4.6 \Rightarrow$ first evidence of breaking $\Delta W_{ELM} / W_{ped} \propto v^*$ link

Small $\Delta W_{ELM} / W_{ped}$ at low v^* + convective ELMs

In extended range of parameters $(I_p \rho^* q_{95}) \Rightarrow$

⊕ Mixed Type I/II ELMs at high density (or v^*) \Rightarrow

- only regime with no p_{ped} degradation with density
(\sim constant p_{ped} up to $n_e/n_G=1$)

⊕ p_{ped} determines global confinement \Rightarrow

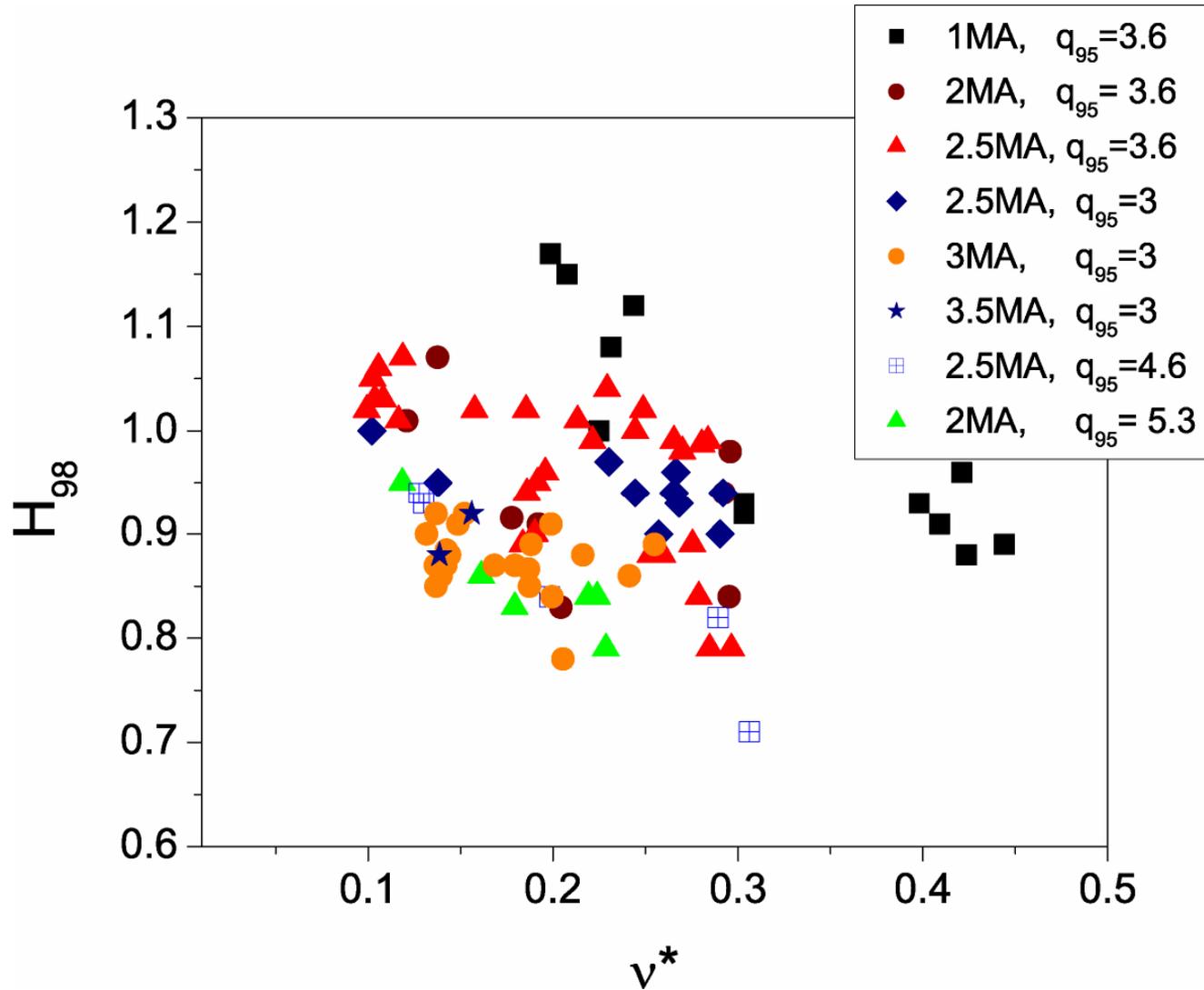
- $W_{ped}/W_{th} \sim$ constant and independent of n_e, I_p, q_{95}
- p_{ped} increases with I_p

⊕ q_{95} dependence of \Rightarrow

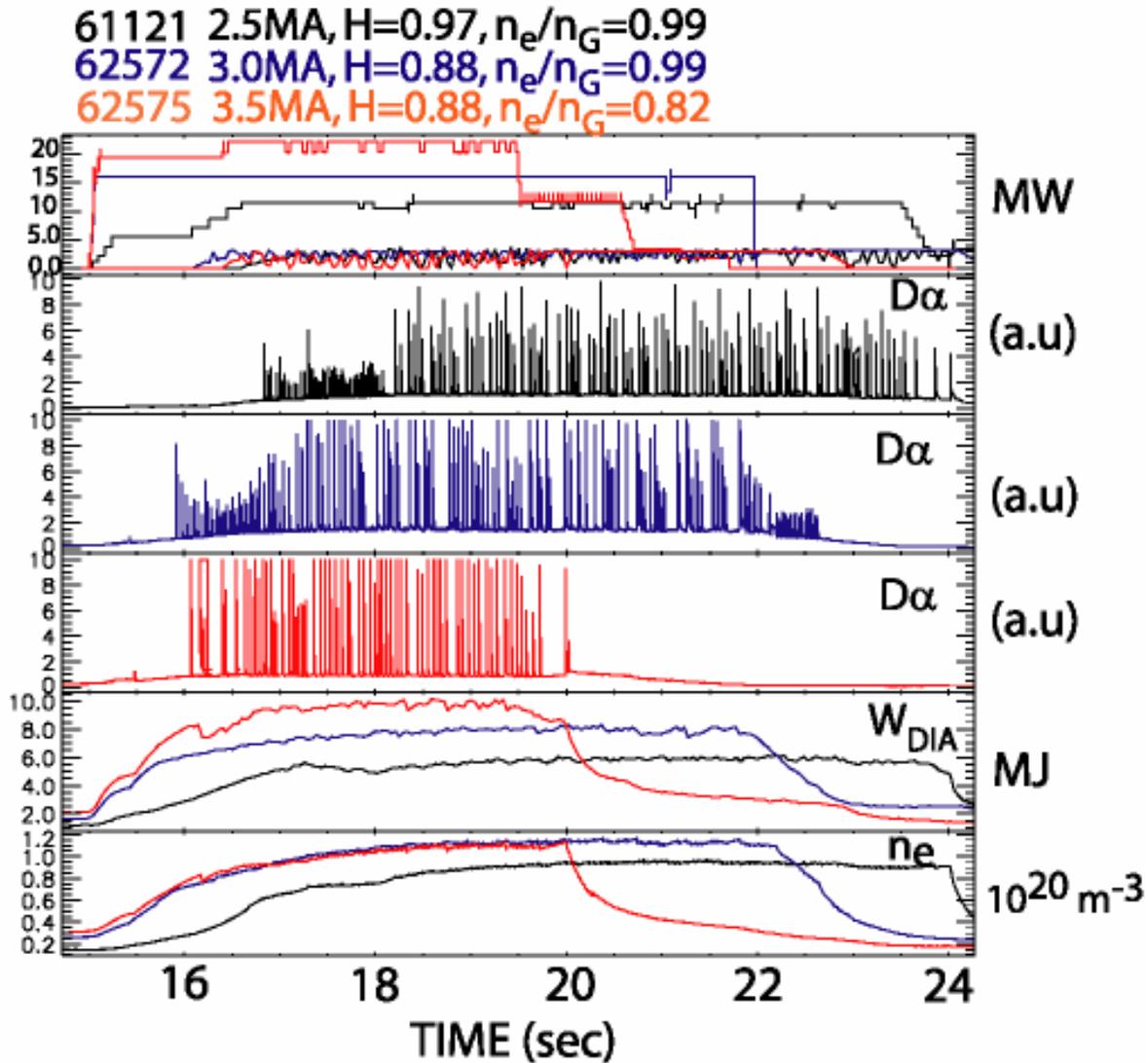
- Confinement at high $\delta \Rightarrow$ optimum confinement at $q_{95}=3.6$
- Access to the Mixed Type I/II regime \Rightarrow marginal at $q_{95}>4$
- ELM size \Rightarrow convective ELMs at $q_{95}>4$ break the link between ELM size and collisionality

⊕ Improving of energy confinement and ELM size scaling to ITER requires high δ + high density + **lower collisionality**

H vs collisionality



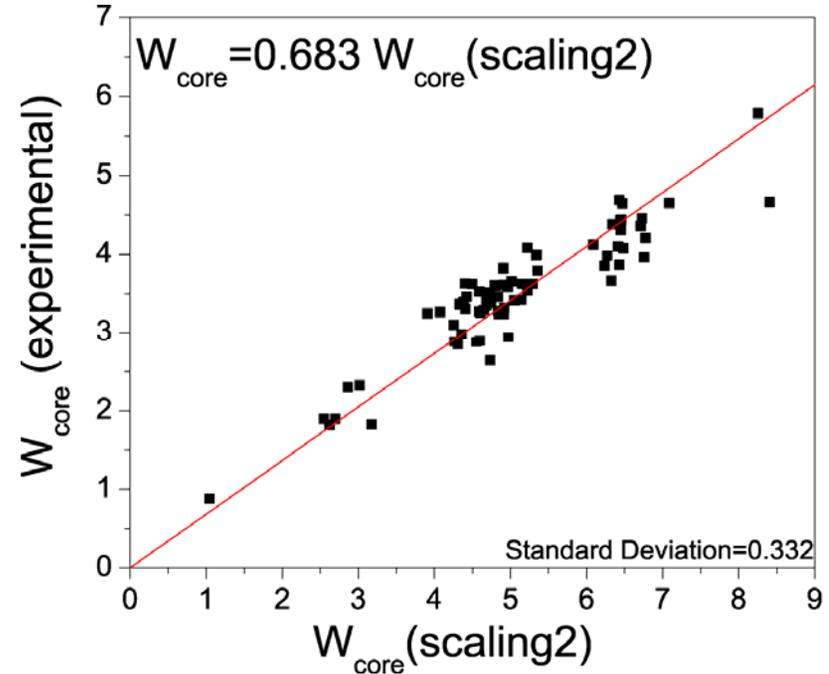
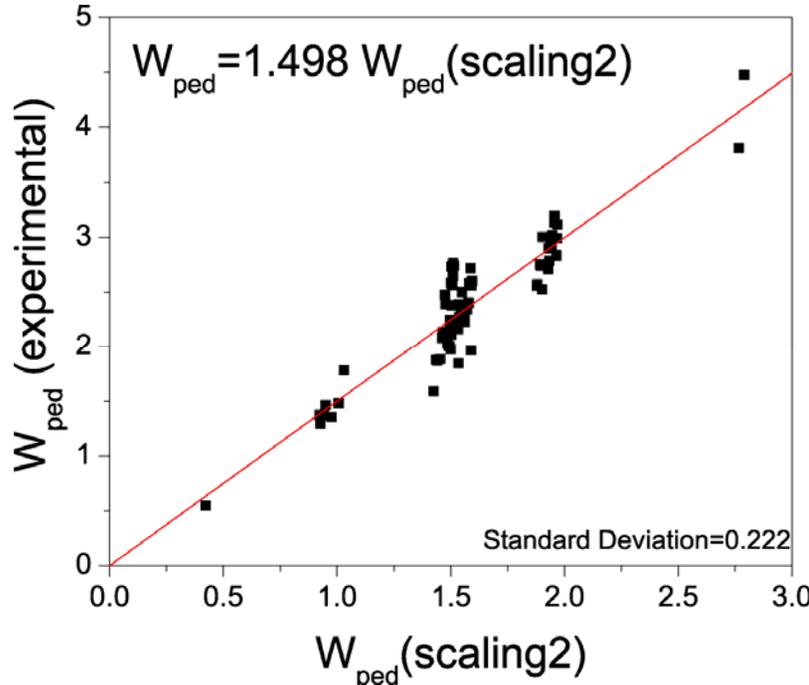
I_p scan at q₉₅=3



scaling

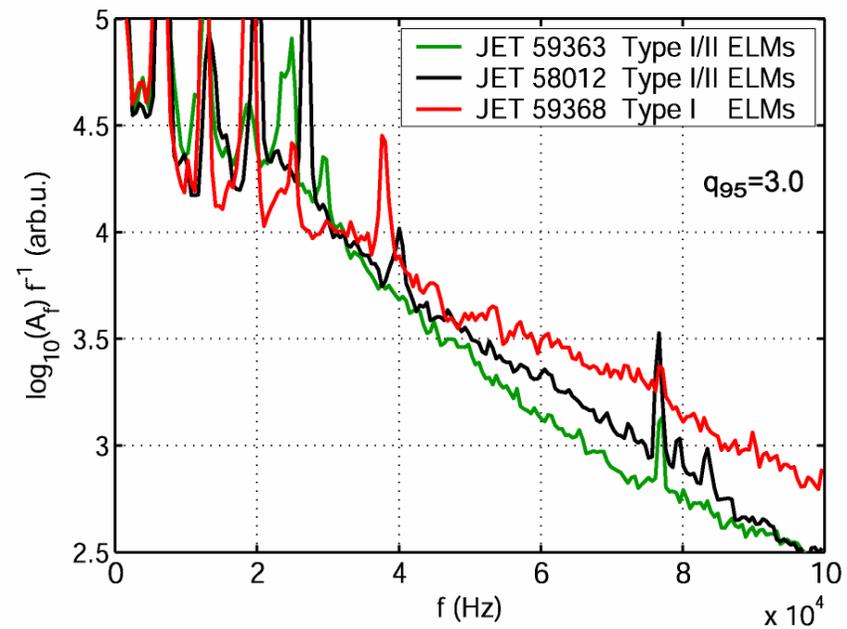
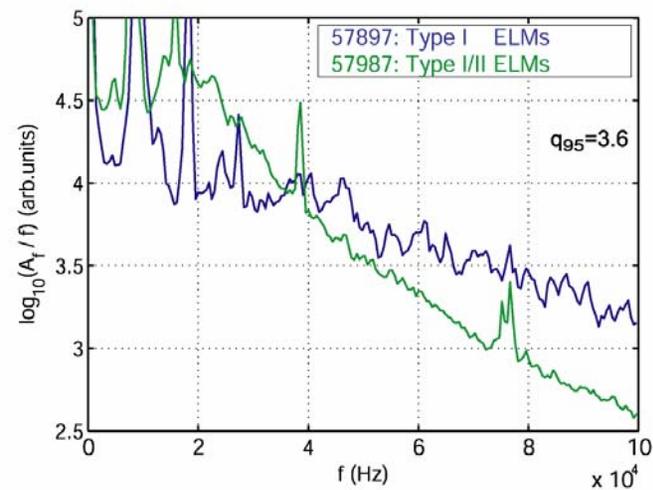
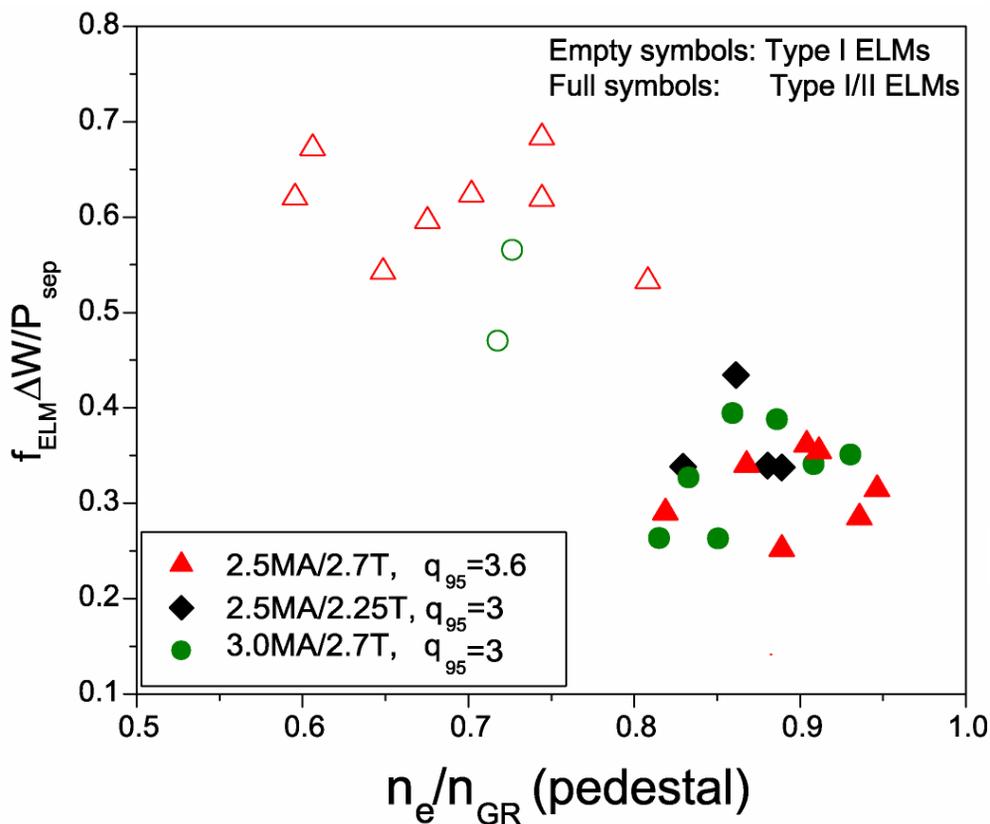
$$W_{ped}(2) = RI^2 \beta_{ped} = RI^2 6.4310^{-4} \rho^{*0.3} m^{0.2} F_q^{2.18} \epsilon^{-2.67} k_\alpha^{2.27}$$

$$W_{core}(2) = 0.151 I^{0.68} R^{2.32} P^{0.42} n^{0.59} B^{0.13} k^{-0.34} \epsilon^{1.96} m^{0.34}$$

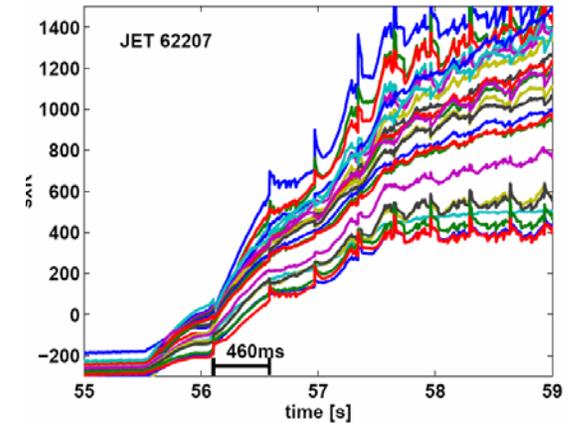
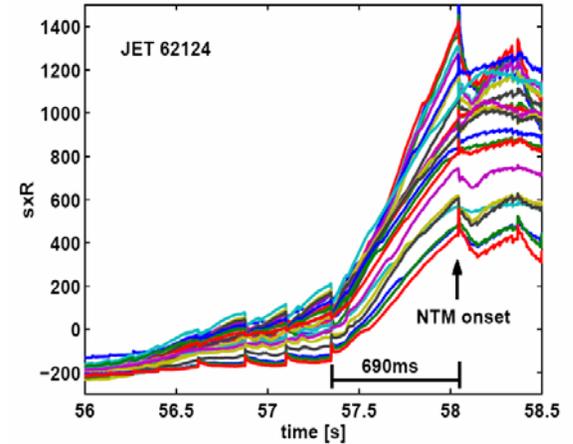
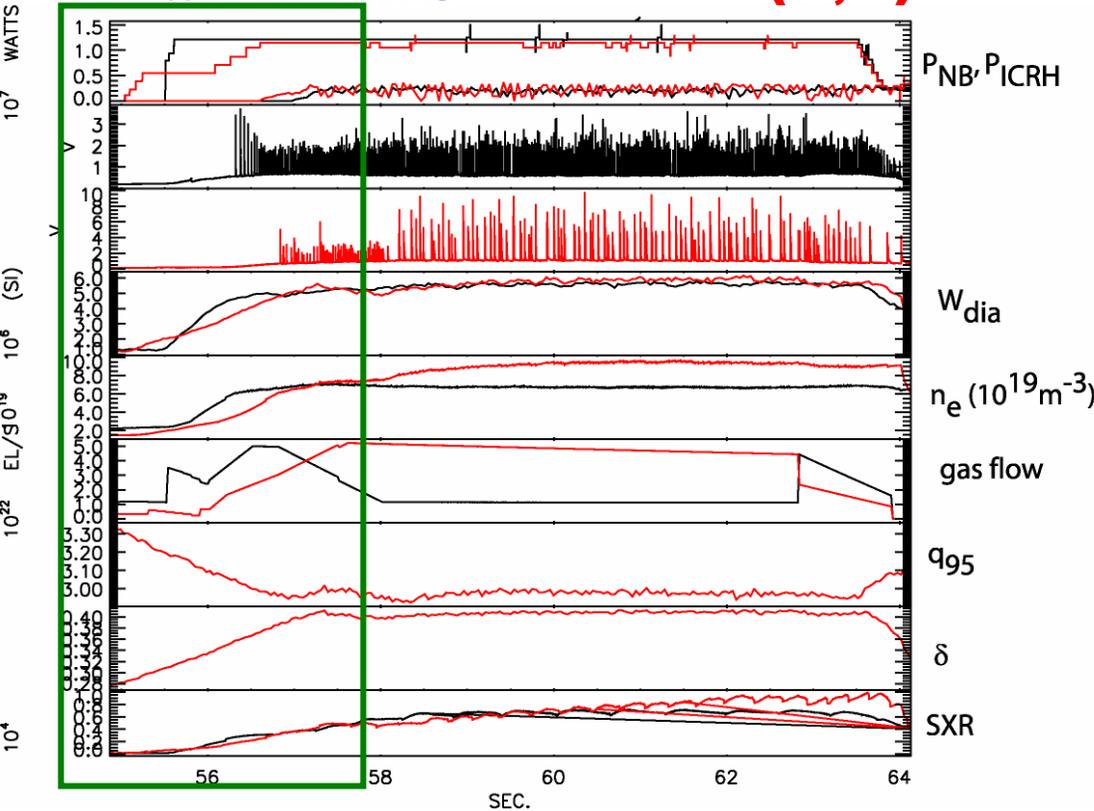


The two models behind the scaling are assuming two different energy loss mechanisms from the pedestal: the first scaling (1), assumes the transport in the steep edge gradient region to be dominated by thermal conduction, while the second (2) assumes ELM losses to be dominant and the pedestal pressure gradient to be determined by MHD limit (ballooning or peeling modes). The fitting of W_{core} gives similar standard deviation for both scaling. The vertical spread of the pedestal data is due to the density dependence of the pedestal pressure which is not accounted for in either scaling.

Type I/II ELMs



(3,2) NTMs



(3,2) NTM \Rightarrow triggered by a sawtooth crash in the initial phase of the additionally heated plasma near L-H transition \Rightarrow density, input power and magnetic configuration are ramping up to their final value

NTM avoidance scenario \Rightarrow lower density phase with high power/ q_{95} and with lower δ \Rightarrow the final values of q_{95} and δ are reached only at high density.

$I_p = 15 \text{ MA}$ $Q_{DT} = 10$
 $H = 1$, $\beta_N \sim 1.8$ and $n/n_{GR} \sim 0.85$

